

Towards Semantics for Provenance Security

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 - Must ensure provenance does not reveal sensitive provenance
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“Prof. Smith participated as an Advisor” may reveal “John participated as respondent”

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- How do we know if we have security right?
 - Complex interaction between information security and provenance
 - Not well-understood

Semantics for provenance security

- Goal:
 - precise, useful, intuitive definitions of provenance security
 - understand provenance security
 - principles and mechanisms to apply in practice
- This work: Formal definitions for provenance security
 - public data does not reveal sensitive provenance
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 - public provenance does not reveal sensitive data
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Language model

- Simple language-based model (based on Cheney, Acar, Ahmed [2008])
- Program c has input locations, produces single output
 - $\langle l_1=v_1, \dots, l_n=v_n ; c \rangle \Rightarrow v$

E.g.,

$\langle l_1=3, l_2=5, l_3=7 ; x = l_1; \text{if } (x) \text{ then } l_2 \text{ else } l_3 \rangle \Rightarrow 5$

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$\models x=l_1 ; \star$

Security policies

- Each input location has security policy for data and provenance

- e.g., $\Gamma(l_1) = LL$

$\Gamma(l_2) = LH$

$\Gamma(l_3) = HH$

Data security:

H : High security (secret)

L : Low security (public)

Provenance security:

H : High provenance (secret)

L : Low provenance (public)

Security policies

- Each input location has security policy for data and provenance
 - e.g., $\Gamma(l_1) = LL$ $\Gamma(l_2) = LH$ $\Gamma(l_3) = HH$
- User knows low security inputs, and is given output and partial provenance trace
 - User should not learn high security data
 - User should not learn which high provenance locations involved in computation
- What (partial) provenance can we give to user?

First attempt

- We think T is secure for execution

$\langle l_1=v_1, \dots, l_n=v_n ; c \rangle \Rightarrow v$ if:

- $\langle l_1=v_1, \dots, l_n=v_n ; c \rangle \Rightarrow v \models T$ and
- T does not contain any high provenance locations.

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$\langle \dots ; \text{if } (l_1) \text{ then } l_2 + l_3 \text{ else } l_4 + l_5 \rangle \Rightarrow 5 \models \text{cond}(l_1, \text{true}, l_2 + l_3)$

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but l_i not involved

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Neither output v nor provenance T reveal which high provenance input locations were used.

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Conclusion

- Need to understand provenance security, and interactions with data security
- This work: Formal definitions for provenance security
 - public data does not reveal sensitive provenance
 - public provenance does not reveal sensitive provenance
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- Practical implications:
 - determining access control for provenance
 - consistency of security policies for data and provenance
- Future work:
 - Moving from the T towards the P of TaPP